

Haar-like Features and Adaptive Feature Extraction for Visual Tracking

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A visual tracking algorithm was developed by integrating Haar-like features with adaptive feature extraction. The experiments show that the proposed tracker solves two knotty problems of visual tracking partially: varying illumination and occlusion.

Problem Description



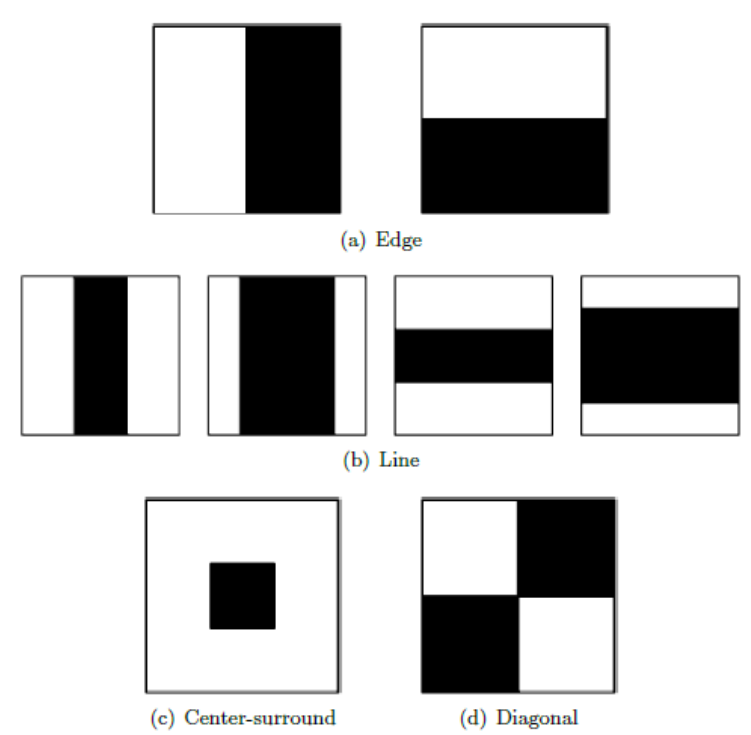
A classification problem

- $\frac{N}{2}$ samples from target box
- $\frac{N}{2}$ samples from background box
- d -dimensional feature vector at each point
 $\mathbf{x}_i \in \mathbb{R}^d, \quad i = 1, 2, \dots, N$
- classifier F

$$F: \mathbf{x} \mapsto \begin{cases} +1, & \text{target box} \\ -1, & \text{background box} \end{cases}$$

24 Haar-like Features

8 Prototypes

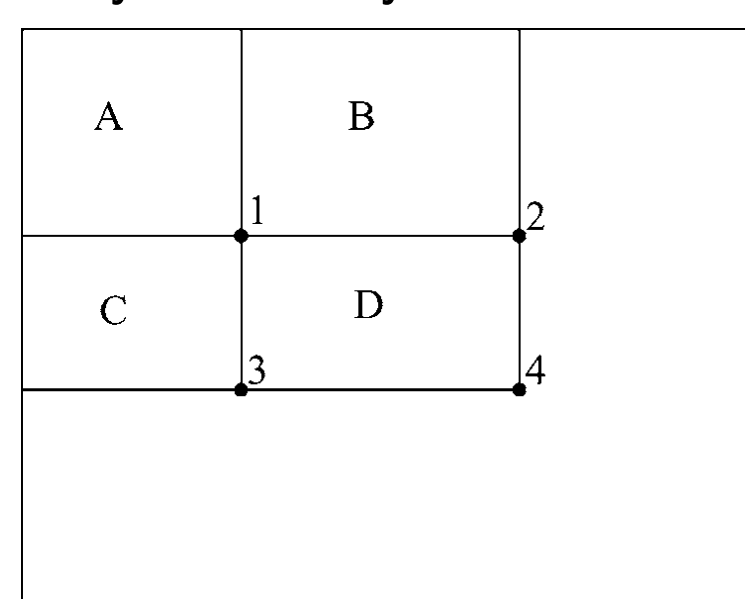


Feature Value

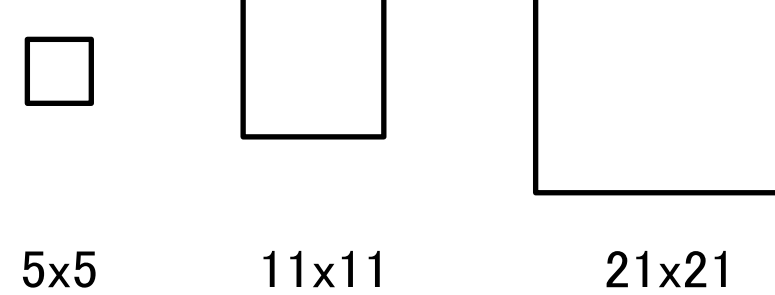
$$\sum_{(r,c) \in \text{white rectangle}} \text{pixel}(r,c) - \sum_{(r,c) \in \text{black rectangle}} \text{pixel}(r,c)$$

Integral Image

- aka summed area table
- can speed up the computation of feature values
- The sum of a rectangle can be achieved through only 4 memory access



3 Different Sizes



Ensemble Tracking

Weak Classifier

- A weak classifier: $h(\mathbf{x}) = \text{sign}(\mathbf{h}^T \mathbf{x})$
 where \mathbf{h} is a hyperplane computed using weighted least square regression:

$$\mathbf{h} = (\mathbf{A}^T \mathbf{W}^T \mathbf{W} \mathbf{A})^{-1} \mathbf{A}^T \mathbf{W}^T \mathbf{W} \mathbf{y}$$

- \mathbf{A} : $N \times (d+1)$ matrix whose each row is $[\mathbf{x}_i, 1]$
- \mathbf{W} : $N \times N$ diagonal matrix whose diagonal element is w_i , weight for each sample
- \mathbf{y} : N labels, $y_i \in \{+1, -1\}$

Strong Classifier

- Consists of T weak classifiers
- A strong classifier: $H(\mathbf{x}) = \sum_{t=1}^T \alpha_t h_t(\mathbf{x})$
- Weight of each weak classifier: $\alpha_t = \frac{1}{2} \log \frac{1 - \text{err}}{\text{err}}$
 where $\text{err} = \sum_{i=1}^N w_i |h_t(\mathbf{x}_i) - y_i|$
- Whenever a weak classifier is made, weights of samples are updated: $w_i = w_i e^{(\alpha_t |h_t(\mathbf{x}_i) - y_i|)}$

Mean-shift

- Get a confidence map L
 $L(r,c) = H(\mathbf{x}(r,c)), \quad (r,c) \in \{\text{target box}\} \cup \{\text{background box}\}$
- The location changes of boxes in each iteration

$$\Delta r = \frac{\sum_{(r_i,c_i) \in L} L(r_i,c_i) \times (r_i - r)}{\sum_{(r_i,c_i) \in L} L(r_i,c_i)}, \quad \Delta c = \frac{\sum_{(r_i,c_i) \in L} L(r_i,c_i) \times (c_i - c)}{\sum_{(r_i,c_i) \in L} L(r_i,c_i)}$$
- Repeated until the new location converges
- New N samples in the next frame
- Re-label new samples based on the new location

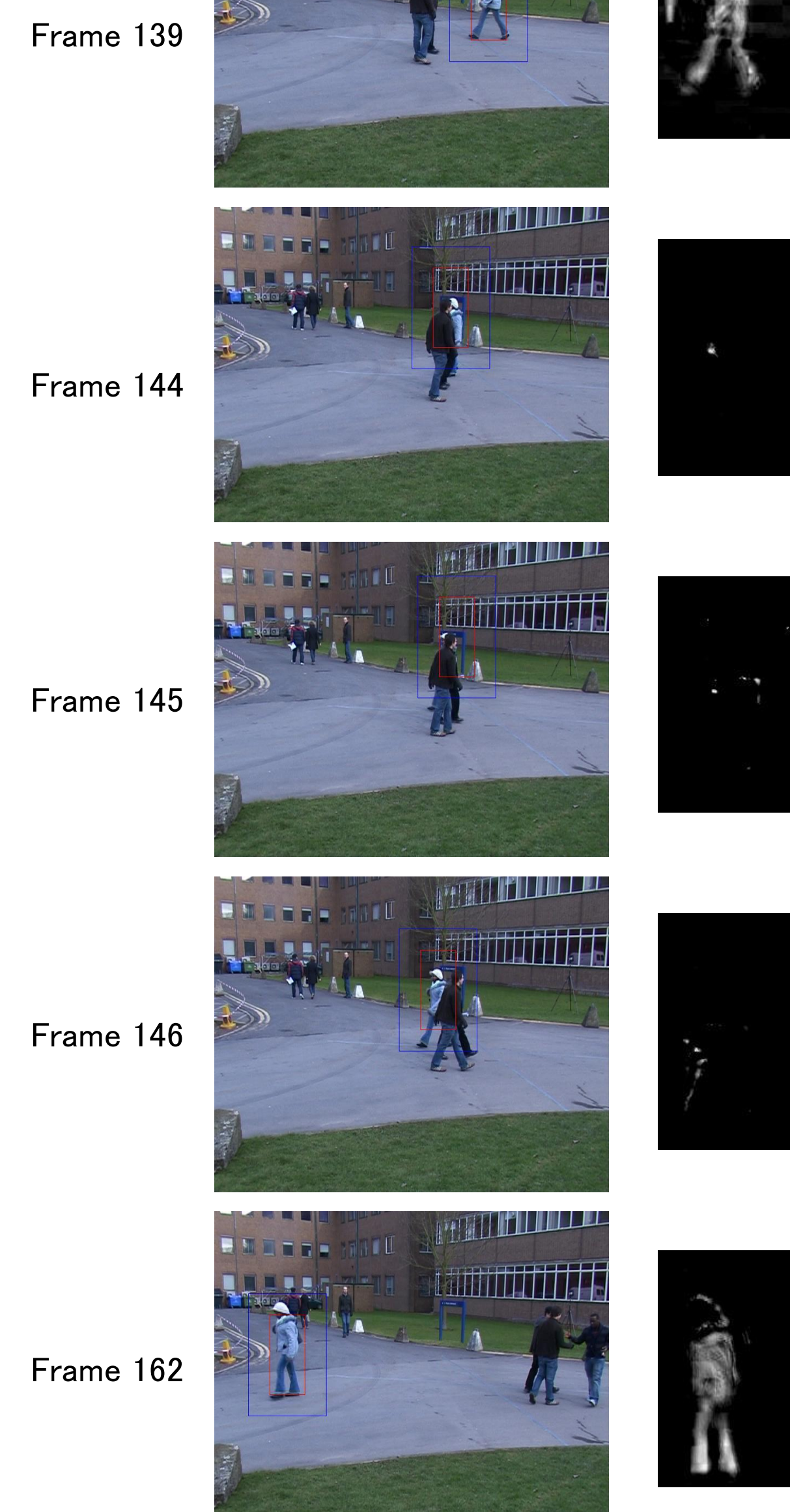
Update

- Remain K ($K < T$) weak classifiers to be robust to an occlusion
- A weak classifier which has the minimal err is selected during K iterations
- Make new $T-K$ weak classifiers

Experimental Results

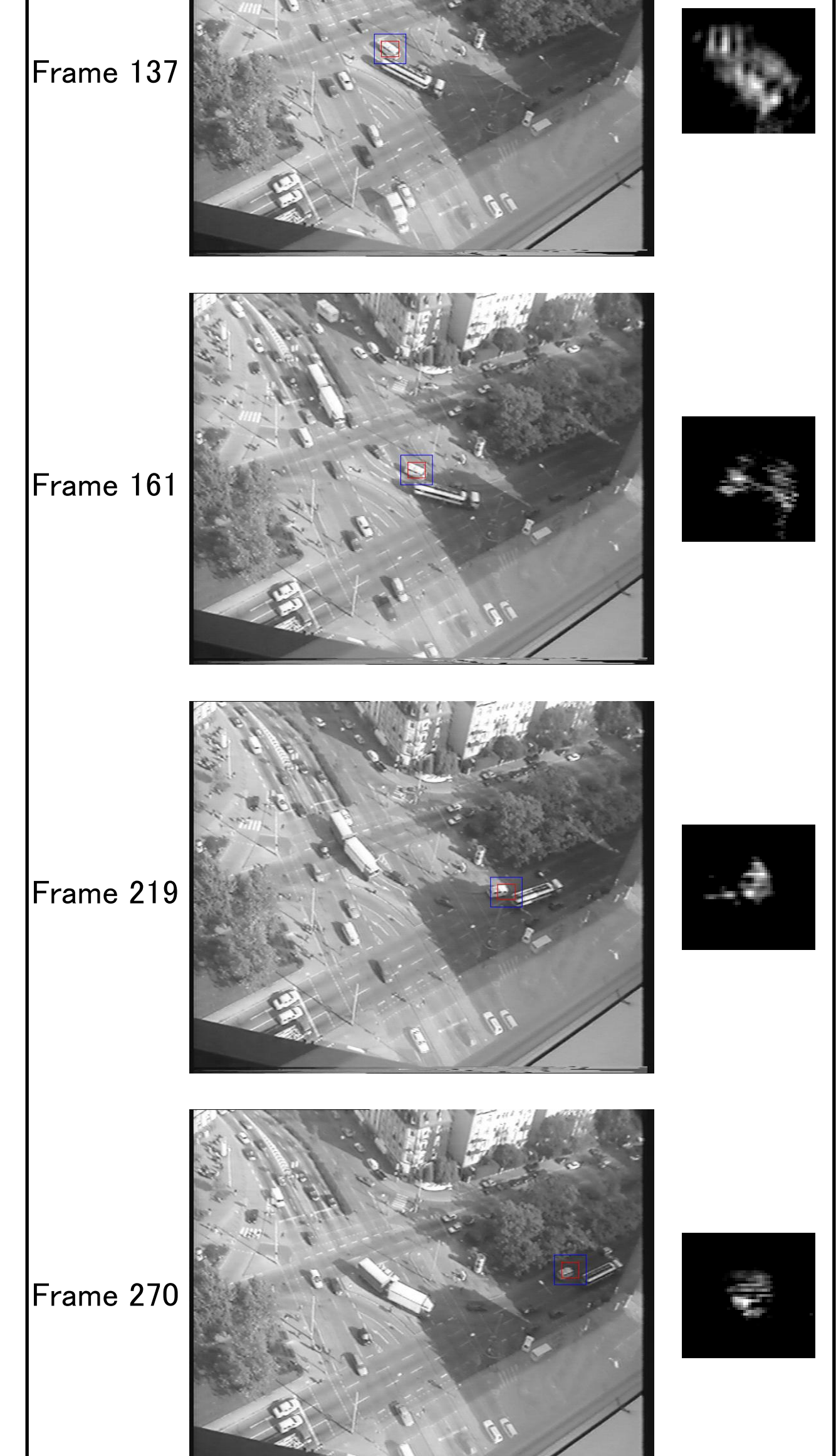
Short Occlusion

A successful tracking in case of a short occlusion



Varying Illumination

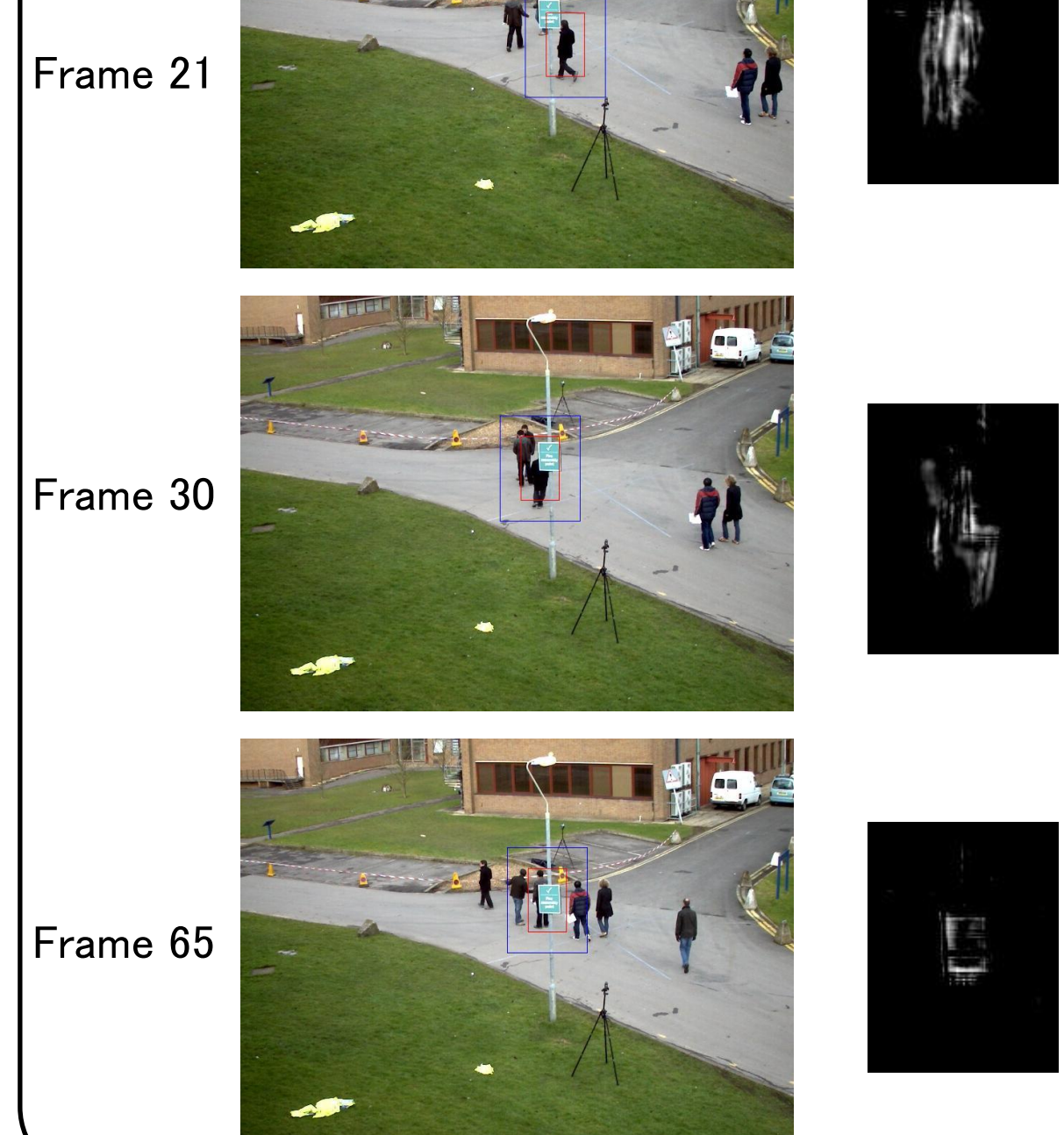
A successful tracking in case of varying illumination



Limitations

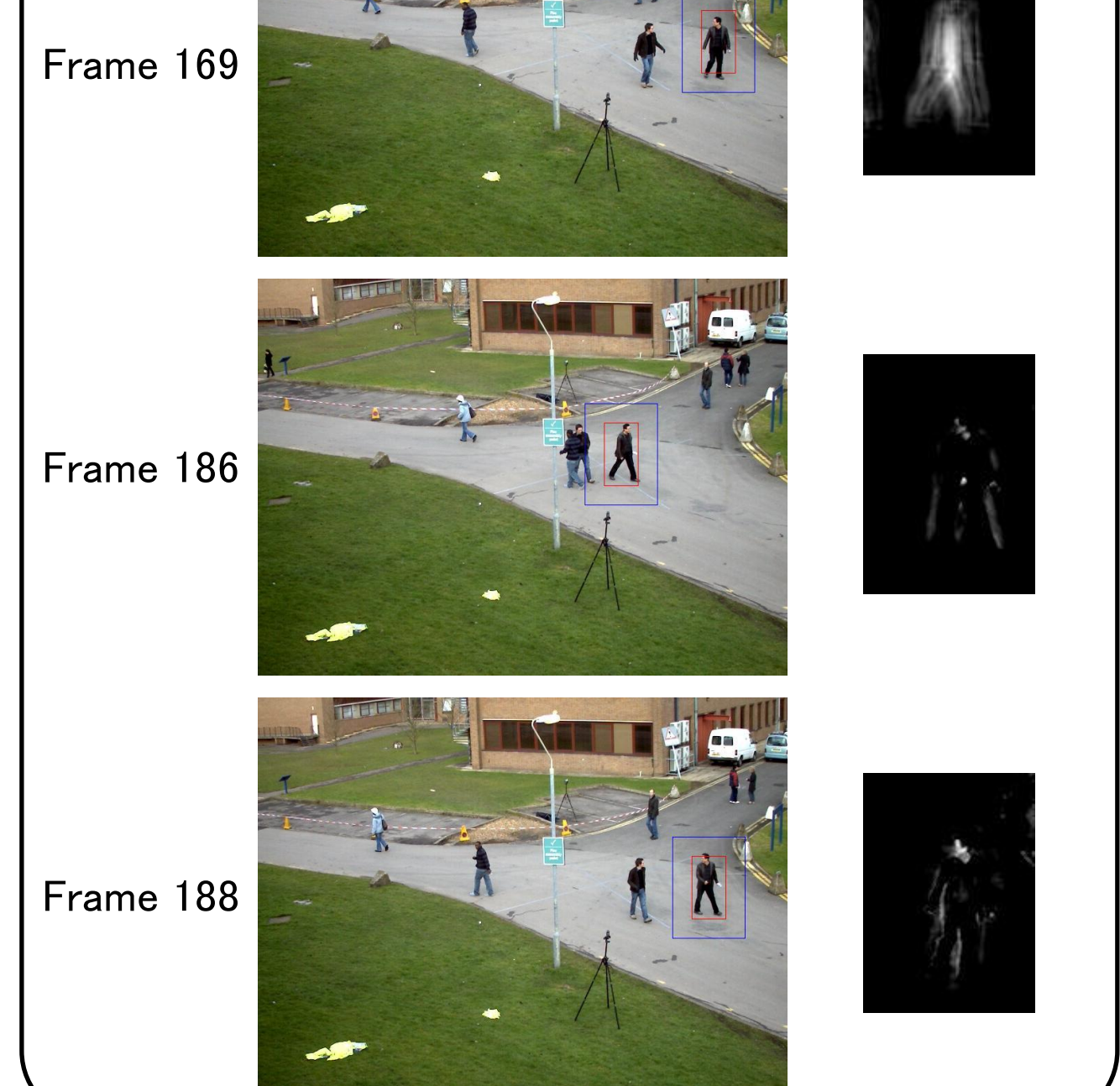
Long Occlusion

Get stuck with an obstacle



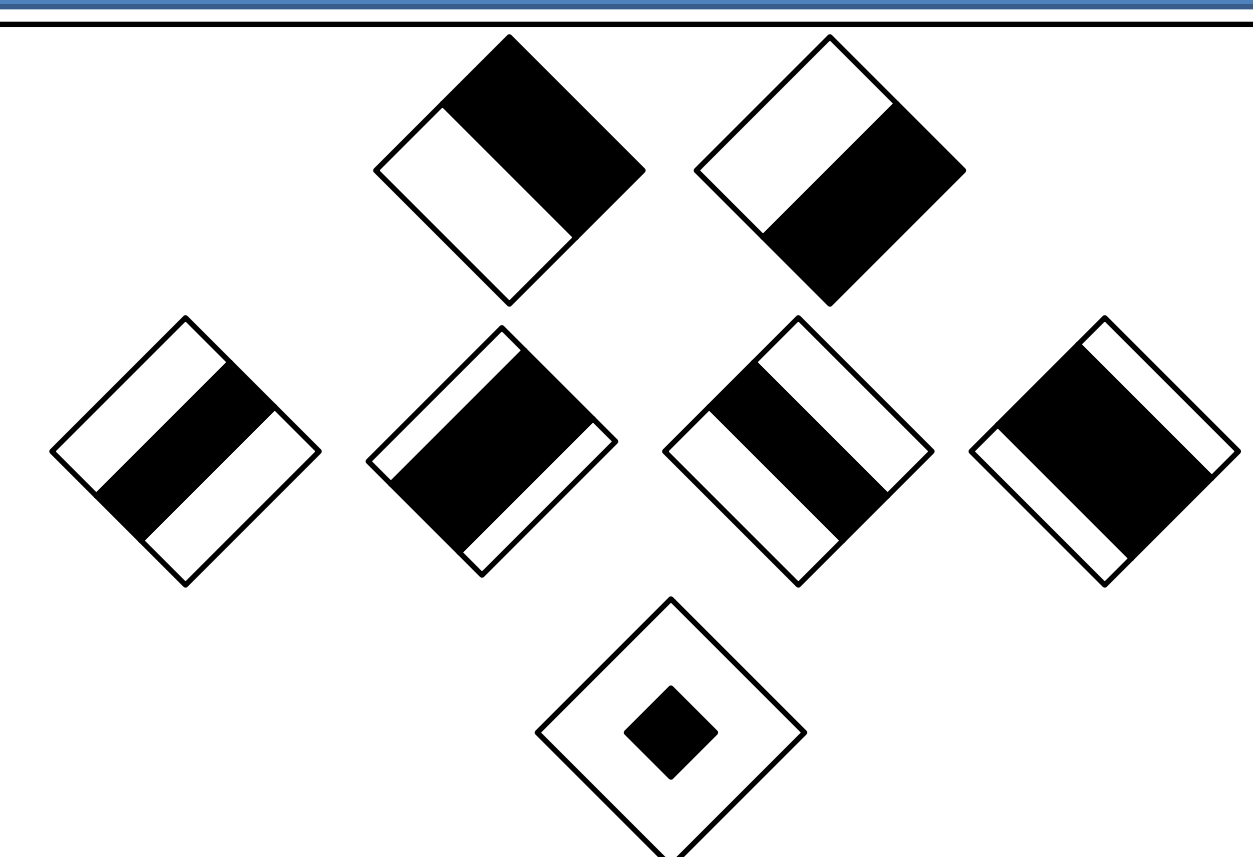
Edge Phenomena

Look like the edge of the target sometimes



Future works

- Rotated Haar-like features
- Initialization of tracking
- Varying size of target



Conclusion

- ◆ The combination of Haar-like features and ensemble tracking can improve the performance of a visual tracker in terms of a short occlusion and varying illumination.
- ◆ More works are necessary to succeed in tracking in case of a long occlusion and to add extensions such as initialization of tracking and varying size of target.